# Low Speed Wind Tunnel Investigation of Tab Hinge Moment Characteristics 

By<br>W. J. G. Trebble and J. F. Holford

## ROYAL AIRCRAFT ESTABLISHMENT

## Low speed wand tunnel investigation of

 tab hinge moment characteristiosby
W.J.G. Trebble
and
J.F. Holford

## SUMGURY

Hinge moments have been measured on tabs of $4.7 \%$ local chord on a tailplane with $14^{\circ}$ trailing edge angle. The range of investigation covered the effects of $32 \%$ nose balance and of the gap between tab and elevator.

For small deflections of the control surfaces $o_{1}$ and $o_{2}$ are negligible whilst $0_{3}$ is -0.36 and -0.28 for the unbalanood and balanced tabs respectively.

With large angles of the elevator, and with moderate angles when the elevator gap is open, $o_{2}$ tends to the calculated value for this wing without boundary layer terms. Consequently the curve of tab hinge moment as the tab and elevator both move is not linear.

Values of $c_{1}$ and $c_{3}$ calculatod by thick aerofoil theory, with Bryant's empiricol boundary- layer torms, aro in good agreement with measured values for small daflections.
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(b) Tab hinge moments $v$ elevator angle with elevator gap open ..... $9 b$

## Introduction

The use of sorvo tabs on large transport aircraft has made it necessary to obtain data on the hinge moment characteristics of small chord tabs of full span. For this purpose a third scale model of the half tailplanc of the Bristol 175 aircraft was mounted in the 24 It wind tunnel, and tab hingo momonts wero measured. Previous tests of olevator hinge moments had been made. 1 Tho moan tab chord, aft of hinge lino, is $4 \frac{1}{2} \%$ of the tailplane mean chord, but the tab is of constant chord whilst the tailplane tapers. Tho main tosts were made on one quarter of the tab, and on this the tab chord, aft of hinge line, was $4 \frac{3}{4} \%$ of the local tailplano chord. The tests included an investigation of clliptic nose balance and of gap size.

## 2 Dosoription of Model and Tosts

The tests were made during April and May 1951. The model is shown in Fig. 1, and its dimonsions are givon in Table I. The mean chord of the modol tailplano was $3.58 \mathrm{ft}^{\prime}$; and sinoe the opon jet 24 ft wind tunnel was usod, no corroctions to hingo moments havo boen applied. It will be seon in Fig. 2 that the model was a half tailplane with endplate rather than a half tailplane completely refleoted. The geometric incidences tested were $0^{\circ}$ and $10^{\circ}$, but the model lift slope would only correspond to $9^{\circ}$ of the completely reflected wing. Since the effects of incidence on hinge moments is small, no correotion has been applied.

The tests were made at $160 \mathrm{ft} / \mathrm{sec}$ giving a Reynolds number $=$ $3.6(10)^{6}$, based on mean tailplane chord. Transition wires were fitted at $15 \%$ chord on both surfaces of the tailplane.

Tho elevator hinge line was at $65 \%$ of the tailplane chord with $30 \%$ nose balance. Up to doflootions of $20^{\circ}$ the elovator nose gap was sealed by sorbo rubber attached to the nose. For defleotions greater than $20^{\circ}$ the balance nose projected boyond the profile.

This elevator had a full span tab which was divided into four equal parts spanwise, each having two hinges. The hinge moments on seotion 2 of the tab were measured (see Fig.1).

Two types of tab wore tested, one having a $32 \%$ elliptic nose balance, the other being an unbalanced tab made by cutting away the balance to leavo a semi-circular nose. The tab hinges were made as frictionless as possible in ordor to measure the true hinge moment coefficient. In full scale aircraft there would probably be a larger frictional forco. Each tab was tested with gaps of 0.001 and 0.0025 of the local tailplane chord $c^{\prime}$.

The angular position of those parts of the tab which were not conneoted to the balance could be pre-set. In most of the tests they were fixed at $0^{0}$ to the elevator, but some tests were made with a tab setting of $25^{\circ}$ to enable the results to be correoted to a full-span tab.

The maximum error involved in setting the tab angle $\beta$ was $\pm \frac{1}{4} \%$, whioh corresponded to an error of $\pm 0.002$ in the hinge moment ooefficient ( $\mathrm{C}_{\mathrm{H}}$ ). The maximum error involved in reading the balance corresponded to an error in $G_{F}$ of 0.0005 , giving a total of $\pm 0.0025$. This error would be incroased at large elevator angles due to unsteadinoss.

For small chord tabs the values of $c_{1}, c_{2}$ and $o_{3}$ (the partial derivatives of $\mathrm{C}_{\mathrm{H}}$ with respect to $\alpha, \eta$ and tab angle $\beta$ ) are constant for small ranges of $\alpha, \eta$ and $\beta$. These constant values of the derivatives are much smaller than the values calculated without consideration of the boundary layer, and are in fact the values for the tab embedded in a thick boundary layer. For large angles of the surfaces, and when hinge gaps are open (and act as slots), the curves will revert to the values thoy would have with thinner boundary layer, causing unsystematic looking curves (Figs.3-7).

### 3.1 Small Angles

Considering first the values at small angles, the values found for the single section of tab are:-

| Tail incidence <br> $\left(\alpha^{0}\right)$ | Tab <br> balance | Tab gap | $c_{1}$ | $c_{2}$ | $c_{3}$ |
| :---: | :--- | :--- | :--- | :--- | :---: |
| 0 | unbalanced | $0.001 c$ | -0.01 | -0.02 | -0.35 |
|  | balanced | $0.0025 c$ | -0.01 | -0.05 | -0.38 |
|  |  | $0.001 c$ | -0.01 | 0 | -0.27 |
|  |  | unbalanced | $0.001 c$ | - | -0.05 |
| 10 | $0.0025 c$ | - | -0.38 |  |  |
|  | balanced | $0.001 c$ | - | -0.07 | -0.42 |
|  |  | $0.0025 c$ | - | -0.06 | -0.30 |
|  |  |  |  | -0.01 | -0.31 |

These would be little altered if the full span tab had been used. This was checked by some tests shown in Fig. 8 in which the remainder of tho tab was set at $25^{\circ}$, so that the "full span" curve would run from the point representing $0^{\circ}$ on all tabs to that representing $25^{\circ}$ on all tabs. This would increase the negativo value of $\mathrm{o}_{3}$ by 0.01 . $\mathrm{o}_{2}$ would be unaltered, since the variation of $\mathrm{O}_{\mathrm{H}}$ with $\eta$ is not ohanged.

The effect of $30 \%$ nose balance is to reduce o3 by $20 \%$.
These values of $\mathrm{c}_{1}, c_{2}$ and $c_{3}$ for unbalanced tabs have been compared with the following calculations:-
(a) Bent plate the ory ${ }^{2}$.
(b) Thick wing theory? This is only available for a single flap, gaving $o_{1}$ and $o_{3}$ but not o2.
(c) Bryants empirical corrections for boundary layer. ${ }^{3}$

The comparison found is:-

|  | $a_{0} / 2 \pi$ | $c_{1}$ | $c_{2}$ | $c_{3}$ |
| :--- | :---: | :---: | :---: | :---: |
| Bent plate theory | 1.00 | -0.14 | -0.19 | -0.85 |
| Thick aorofoil theory | 1.106 | -0.09 | - | -0.56 |
| Thick aerofoll theory with Bryant | 0.865 | -0.04 | - | -0.36 |
| empirical corrections |  |  |  |  |
| Iieasured values | - | -0.01 | -0.02 | -0.36 |

This demonstrates the large boundary layer uffect. To estimate how much the change from modol to full scalo Reynolds Number will effect this, the Bryant method has been applaed to calculato $c_{1}$ and $o_{3}$ at $R=20 \times 10^{6}$, giving:-

|  | $R=3.6 \times 10^{6}$ | $R=20 \times 10^{6}$ | Wi thout <br> Boundary <br> Iayer |
| :---: | :---: | :---: | :---: |
| $\mathrm{o}_{1}$ | -0.04 | -0.05 | -0.09 |
| $o_{3}$ | -0.36 | -0.39 | -0.56 |

so that the model rosults wil be substantrally applicable to flight conditions.

### 3.2 Non-Iınear Parts of Ilinge Hioment Curve

In Fjg. 3 , hinge momerts are plojted against elevator angle: the elevator gap was sealod until tho nose began coming out soon aftor $20^{\circ}$. Tho hingo is behund the maximum thickness of the elovator, accentuating the bulgc outside the wing contour as the elevator rotates. Fig. 3 shows that $c_{2}$ is only small for quite small volues of $\eta$ and $\beta$ and shows largo changos taking place even whth saall tab angles between $-15^{\circ}$ and $-25^{\circ}$ elevator anglo. In Fig. 9 some results from section 3 of the tab are given, theso wore made with elevator gap open, and there was a out out in the elevator nose. The offect of the gap is to give a highor value of $c_{2}$ for $n>80$, this value being of the order estimatod for "without boundary layer".

In Figs.4-7 hinge momonts aro plotted against tab anglo, and the value of $c_{3}$ is nearly constant and is small up to 200 or $25^{\circ}$ of $\beta$ as long as the olevator anglo is small. In a vory crude way this is explazned by tho thack boundary layor, ovor the last $5 \%$ of the wing, ombeding the lab and boing carried round vith it as it movos.

The effoctivoness of tho baloncod tab is illustrated in Ref.l (Fig. 28). It is seen that $20^{\circ}$ of balancod tab will glve $-25^{\circ}$ of elevator wilst $10^{\circ}$ of tab gave $15^{\circ}$ of elevator. Such points are joaned in Fig. 4 (b) by the brokon curvo. This curve shows the tab hinge moment requarod to produce the roquisito elcvator dofloction.

## 4 Conclusions

(I) The values of $c_{1}$ and $c_{3}$ for small angles are correctly estimatod by tho mothod of reforonce 3 , in which howover the boundary layor torms arc ompirical.
(2) The boundary layer torms aro large, but a calculation shows rolatively small changc up to full scalo Reynold's number.
(3) The effoct oi $30 \%$ balance from an clliptic noso is to roduco 03 by $20 \%$.
(4) The hinge moment curres are non-linear with elovator anglc; and 03 for a servo tab with the correct olovator setting may becomo loss stablc with incroasing angle, bcooming unstablo within the practical rangc.
(5) Sinco tho small-angle valuos dopond on being in a thick boundary layor, the only hopo of obtaining more linear curvos would bo in providing slots at tho hinges or romoving tho boundary layor in some other mannox. The hange moments would thon bo much heavier.

## LIST OP SMMBOLS

c mean tailplanc chord
$c^{\prime}$ local tailplane chord
a tailplane uncidenco
$\eta \quad$ olevator angle
$\beta \quad$ tab anglo of part of tab on which moasurcmonts wore made.
$\beta: \quad$ tab angle of other parts of tab
GI tab hinge moment
$c_{1}$ slope of $\mathrm{C}_{\mathrm{H}} \vee a$ curve $\left(\frac{\partial \mathrm{CH}_{\mathrm{H}}}{\partial \alpha}\right)$
$c_{2}$ slope of $G_{H} v \eta$ curve $\left(\frac{\partial C_{H}}{\partial \eta}\right)$
$c_{3}$ slope of $C_{H} \forall \beta$ curve $\left(\frac{\partial C_{H}}{\partial \beta}\right)$

## LIST OF REFERENCES

No. Author
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2 Permng

3 Bryant, Halliday and Batson

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Two dimensional control characteristios. R $\underset{\sim}{2}$ M 2730.

March 1950

## TABLE I

## Model Dotan 1 s

Tailplane

```
Area per sido
Somi-span
Mean chord
Root chord
Aspect ratio
Seotion (symmetrical)
Tailplane thiokness
Sreepback of leading ouge
Streepforward of irailing odge
Taper ratio
Trailing odgo angle
```

$32.70 \mathrm{sq}. \mathbf{f t}$
0.17 ft
3.57 ft
4.78 ft
5.143
R. H.F. 28 (modified)
0.1250
$10^{\circ}$
$5^{0}$
2.00
$14^{\circ}$

## Elevator

| Area aft of hinge | $9.07 \mathrm{sq.ft}$. |
| :--- | :--- |
| Span por side | $7.43 \mathrm{ft}$. |
| Sweopback of leading edgo | 20 |
| Position of hinge line | $65 \%$ tailplane ohord |
| Nose balance | $30 \%$ |

Tab

| Area aft of hinge | $0.284 \mathrm{sq.ft}$. |
| :--- | :--- |
| Span por quartur tab | 1.848 ft. |
| Chord aft of hinge (constant) | 0.154 ft |
| Noso balanoc |  |
| Tailplano ohord at centre of tab | $32 \%$ |
| Tailplane ohord at centre of soction 2 of tab | 3.49 ft |
| Tailplano chord at contro of section 3 of tab | 3.25 ft |

## TABLIE II

TAB-HING MONENTS. $\quad G A P=0.001 \mathrm{C}$
Measured on section 2, other sections at $0^{\circ}$.
UNBALANGED TAB

|  | $\square^{\circ} \beta^{0}$ | -5 | 0 | 5 | 10 | 15 | 20 | 25 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\alpha=0^{\circ}$ | + 5.0 | 0.027 | -0.00L | -0.038 | -0.070 | -0.108 | -0.14.5 |  |
|  | - 0.1 | 0.026 | -0.005 | -0.034 | -0.066 | -0.098 | -0.137 | -0.173 |
|  | - 5.1 | 0.032 | -0.003 | -0.031 | -0.056 | -0.090 | -0.125 | -0.159 |
|  | -20.0 | 0.036 | 0.001 | -0.027 | -0.046 | -0.072 | -0.101 | -0.129 |
|  | -15.0 | 0.045 | 0.014 | -0.013 | -0.033 | -0.041 | -0.054 | -0.074 |
|  | -20.0 |  | 0.067 | 0.044 | 0.012 | -0.012 | -0.021 | . |
|  | -25.0 -30.1 |  | 0.110 | 0.080 |  | -0.027 |  | -0.053 |
| $\alpha=10^{\circ}$ | + 5.0 | 0.019 | -0.014 | -0.047 | -0.081 | -0.117 | -0.156 |  |
|  | - 0.1 | 0.025 | -0.007 | -0.041 | -0.074 | -0.108 | -0.148 | -0.185 |
|  | - 5.1 | 0.027 | -0.003 | -0.034 | -0.057 | -0.098 | -0.137 | -0.174 |
|  | -10.0 |  | -0.002 | -0.029 | -0.057 | -0.086 | -0.126 |  |
|  | -15.0 | 0.035 | 0.008 | -0.020 | -0.044 | -0.069 | -0.100 | -0.129 |
|  | -20.0 |  | 0.015 | -0.012 | -0.031 | -0.049 | -0.072 | -0.094 |
|  | -25.0 -30.1 |  | 0.054 | 0.036 | 0.013 | -0.011 | -0.029 |  |

## BALANCED TAB

|  | ${ }^{0} \beta^{\circ}$ | -5 | 0 | 5 | 10 | 15 | 20 | 25 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\alpha=0^{\circ}$ | + 5.0 |  | -0.003 | -0.030 | -0.055 | -0.082 | -0.111 |  |
|  | - 0.1 | 0.022 | -0.002 | -0.026 | -0.049 | -0.071 | -0.094 | -0.126 |
|  | - 5.1 | 0.027 | -0.003 | -0.024 | -0.043 | -0.060 | -0.075 |  |
|  | -10.0 | 0.026 | -0.001 | -0.023 | -0.038 | -0.048 | -0.052 | -0.074 |
|  | -15.0 | 0.033 | 0.010 | -0.015 | -0.028 | -0.031 | -0.026 |  |
|  | -20.0 |  | 0.049 | 0.028 | -0.008 | -0.005 | -0.007 | -0.001 |
|  | $-25.0$ |  | 0.090 | 0.056 |  | -0.009 |  | -0.020 |
| $\alpha=10^{\circ}$ | + 5.0 | $\begin{aligned} & 0.021 \\ & 0.022 \\ & 0.024 \end{aligned}$ | -0.013 | -0.038 |  |  |  |  |
|  | - 0.1 |  | -0.003 | -0.031 | -0.056 | -0.087 | -0.117 | $-0.146$ |
|  | - 5.1 |  | -0.002 | -0.025 | -0.053 | -0.075 | -0.099 | -0.130 |
|  | -10.0 |  | 0.001 | -0.022 | -0.044 | -0.061 | -0.084 |  |
|  | -15.0 |  | 0.002 | -0.018 | -0.035 | -0.049 | -0.058 | -0.080 |
|  | -20.0 |  | 0.009 | -0.014 | -0.027 | -0.034 | -0.032 | -0.032 |
|  | -25.0 |  | 0.051 | 0.031 | . 0.013 | 0,000 | -0.004 |  |
|  | -30.1 |  |  |  |  |  |  |  |

TAB HINGE NOPIENTS. $\quad G A P=0.0025 \mathrm{C}$
Measurea on section 2, other sections at $0^{\circ}$
UNBALANCED TAB

| $\eta^{0} \beta^{0}$ | -5 | 0 | 5 | 10 | 15 | 20 | 25 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\alpha=0^{0}$ | +5.0 |  | -0.006 | -0.049 | -0.078 | $-0.11_{4}$ | -0.155 |  |
|  | -0.1 | 0.029 | -0.005 | -0.039 | -0.072 | -0.104 | -0.142 | -0.187 |
|  | 0.033 | -0.001 | -0.031 | -0.059 | -0.087 | -0.124 | -0.165 |  |
|  | 0.038 | 0.004 | -0.028 | -0.046 | -0.067 | -0.102 | -0.140 |  |
|  | 0.053 | 0.015 | -0.014 | -0.034 | -0.041 | -0.058 |  |  |
|  | +5.0 |  |  | . |  |  |  |  |

BALMOED TAB

|  | $\beta^{0}$ | -5 | 0 | 5 | 10 | 15 | 20 | 25 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\alpha=0^{\circ}$ | $+5.0$ |  | -0.006 | -0.036 | -0.068 | -0.099 | -0.126 |  |
|  | - 0.1 | 0.022 | -0.002 | -0.031 | -0.058 | -0.087 | -0.111 | -0.145 |
|  | - 5.1 | 0.023 | -0.004 | -0.027 | -0.051 | -0.072 | -0.091 | -0.127 |
|  | -10.0 | 0.028 | -0.003 | -0.024 | -0.039 | -0.052 | -0.068 | -0.095 |
|  | -15.0 | 0.042 | 0.007 | -0.018 | -0.028 | -0.027 | -0.030 |  |
| $\alpha=10^{\circ}$ | $+5.0$ |  |  |  |  |  |  |  |
|  | - 0.1 |  | -0.007 | -0.039 | -0.072 | -0.102 | -0.129 |  |
|  | - 5.1 |  | -0.002 | -0.030 | -0.061 | -0.091 | -0.118 |  |
|  | -10.0 |  | -0.001 | -0.025 | -0.054 | -0.076 | -0.100 |  |
|  | -15.0 |  | 0 | -0.022 | -0.041 | -0.058 | -0.075 |  |

## TABIE IV

EFFEGT ON TAB HINGE MOMENTS OF SETHTNG, $\beta^{\prime}$, OF OMHER TABS. $\quad G A P=0.0010, \alpha=0^{\circ}$

## UNBALANCED TAB

|  | $\beta^{0}$ | -5 | 0 | 5 | 10 | 15 | 20 | 25 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\eta=-0.1^{0}$ | $\beta^{\prime}=0^{0}$ | 0.026 | -0.005 | -0.034 | -0.066 | -0.098 | -0.137 | -0.173 |
|  | $\beta^{\prime}=25^{\circ}$ | 0.024 | -0.011 | -0.042 | -0.070 | -0.102 | -0.142 | -0.174 |
| $\eta=-15.0^{\circ}$ | $\beta^{\prime}=0^{0}$ | 0.045 | 0.014 | -0.013 | -0.033 | -0.041 | -0.054 | -0.074 |
|  | $\beta^{\prime}=25^{\circ}$ | 0.043 | 0.011 | -0.019 | -0.036 | -0.044 | -0.058 | -0.074 |

-FAZANUEL TAB

|  | $\beta^{0}$ | -5 | 0 | 5 | 10 | 15 | 20 | 25 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\eta=-0.1^{0}$ | $\beta^{\prime}=0^{\circ}$ |  | -0.001 | -0.026 | -0.048 | -0.071 | -0.094 | -0.126 |
|  | $\beta^{\prime}=25^{0}$ |  | -0.009 | -0.031 | -0.055 | -0.078 | -0.103 | -0.134 |
| $\eta=-15.0^{\circ}$ | $\beta^{\prime}=0^{0}$ | 0.033 | 0.010 | -0.015 | -0.028 | -0.031 | -0.026 |  |
| $\beta^{\prime}=25^{0}$ | 0.028 | 0.000 | -0.020 | -0.035 | -0.037 | -0.029 |  |  |



FIG.I.


FIG.2. MODEL INSTALLATION IN 24FT. TUNNEL.



FIG. 3. TAB-HINGE MOMENTS v ELEVATOR ANGLE, UNBALANCED TAB,

GAP $=0.001 c$

FIG. 4


FIG.4. TAB HINGE MOMENTS v TAB ANGLE, $G A P=0.001 c, \alpha=0^{\circ}$

FIG. 5


FIG.5. TAB HINGE MOMENTS V TÁB ANGLE, GAP $=0.0025 c, \alpha=0^{\circ}$

FIG. 6


FIG. 6 TAB HINGE MOMENTS v TAB ANGLE, GAP $=0 \cdot$ OOIc,$\alpha=10^{\circ}$

FIG.7.


FIG.7. TAB HINGE MOMENTS $\vee$ TAB ANGLE, $G A P=0.0025 c, \alpha=10^{\circ}$

FIG. 8.


FIG.8. EFFECT ON TAB HINGE MOMENTS OF SETtING, $\beta^{\prime}$, OF OTHER TABS GAP $=0.001 \mathrm{c}, \alpha=0^{\circ}$.

a) TAB HINGE MOMENTS v ELEVATOR ANGLE WITH ELEVATOR SEALED FOR DEFLECTION UP TO $20^{\circ}$. TAB CHORD $=0.047 \mathrm{c}$.

b) TAB HINGE MOMENTS v ELEVATOR ANGLE WITH ELEVATOR GAP OPEN.
TAB CHORD $=00425{ }^{\circ}$
FIG. 9 EFFECT OF SEALING ELEVATOR GAP. BALANCED TAB, GAP $=0.00 \mathrm{lc}, \alpha=0^{\circ}$.

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